## Chapter 2 - Resultant of Coplanar Force Systems

1. The screw eye is subjected to two forces,  $F_1$  and  $F_2$ . Determine the magnitude and direction of the resultant force.



Solution. Use the Parallelogram Law

2. The screw eye is subjected to two forces,  $F_1$  and  $F_2$ . Determine the magnitude and direction of the resultant force.



Solution. Use the Triangle Rule

3. The ring shown is subjected to two forces,  $F_1$  and  $F_2$ . If it is required that the resultant force have a magnitude of 1 kN and be directed vertically downward, determine (a) the magnitudes of  $F_1$  and  $F_2$  provided  $\theta = 30^\circ$ , and (b) the magnitudes of  $F_1$  and  $F_2$  if  $F_2$  is to be a minimum.





4. Determine the magnitude and direction  $\theta$  of **F** so that this force has components of 40 N acting from A toward B and 60 N acting from A toward C on the frame.



Solution.

5. The force **F** acting on the frame has a magnitude of 500 N and is to be resolved into two components acting along members AB and AC. Determine the angle  $\theta$ , measured below the horizontal, so that the component **F**<sub>AC</sub> is directed from A toward C and has a magnitude of 400 N.



Solution.

## Adding Force Vectors Graphically [You will need a protractor and ruler to complete this problem]

6. Determine the magnitude and direction of the resultant for the forces acting on the flange shown in Fig 1 graphically (Graph paper is attached.)



Fig. 1

7. Using the method of rectangular components, find the **resultant** of the following concurrent forces.



Solution. Note: All angles measured CCW from the +x axis

Force (lb)	Direction (θ)	$F_x = F \cos \theta$ (lb)	$F_y = F \sin \theta$ (lb)
		$\Sigma F_x =$	$\Sigma F_y =$

8. Three plates are connected using welds with concurrent forces applied as shown. Calculate the **resultant** of the forces.



## Solution.

Note: All angles measured CCW from the +x axis

Force (lb)	Direction (θ)	$F_x = F \cos \theta$ (lb)	$F_y = F \sin \theta$ (lb)
		$\Sigma F_x =$	$\Sigma F_y =$